

ADAM: Causality-Based Synthesis of Distributed Systems

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ADAM*

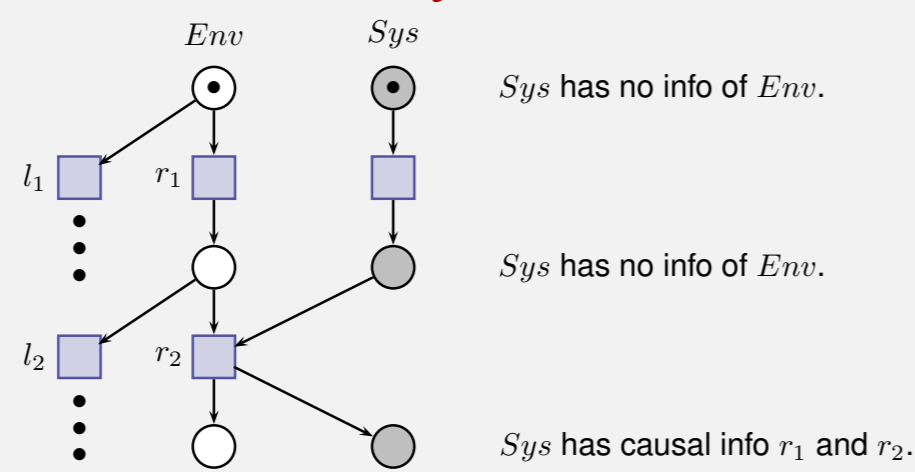
ADAM is a tool for the **automatic synthesis** of **distributed systems** with multiple **concurrent processes**. For each process, a local controller is synthesized that acts exclusively on **locally available information**, obtained through **synchronization** with the environment and with other system processes. ADAM implements the first **symbolic game solving algorithm** for **Petri games**. ADAM has been applied in case studies with up to **38 system processes**.

* ADAM is named in honor of Carl Adam Petri (1926–2010).



Petri Games

- Extension of Petri nets to **multi-player games**.
- Each **token** is a **player**.
- Players have **causal memory**:



- Solving takes only* **single-exponential time**.

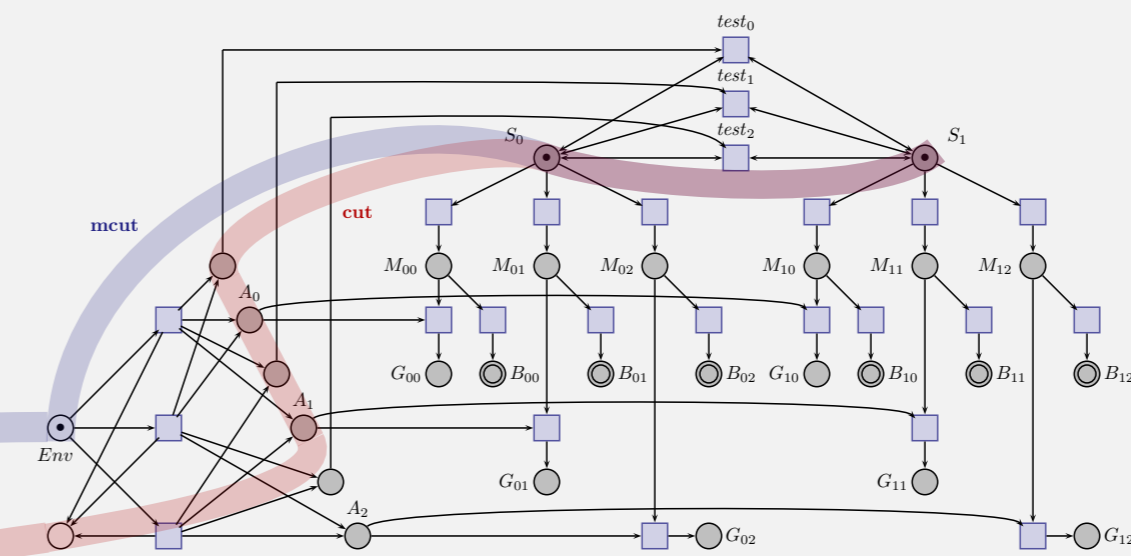
* For n system players, 1 environment player, local safety objective. Compare: Reachability in 1-safe Petri nets is already PSPACE-complete.

Finkbeiner & Olderog (2014): Petri Games: Synthesis of Distributed Systems with Causal Memory.

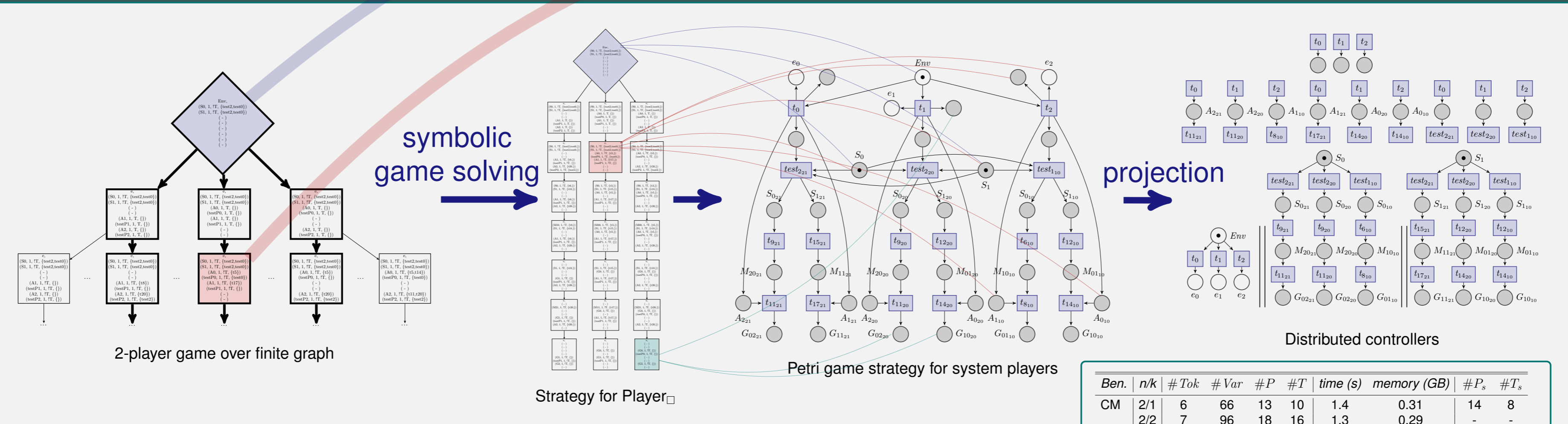
Example: Concurrent Machines (CM)



Synthesis of **robot controllers** in a production plant: the robots execute k manufacturing orders on n concurrent machines in a hostile environment, which may disable an arbitrary machine. Petri game model for $k = 2, n = 3$:



Solving Petri Games



Benchmarks

CM: see above.

SR: Self-reconfiguration of n robots on which the environment destroys up to k tools.

JP: Processing of a job by a subset of n processors chosen by the environment.

DWs: Workflow of a document among n clerks starting at a clerk selected by the environment.

Size of the game: #Tok - number of token, #Var - number of BDD variables, #P - number of places, #T - number of transitions. Size of the strategy: #P_s - number of places, #T_s - number of transitions (if a Petri game strategy exists).

Ben.	n/k	#Tok	#Var	#P	#T	time (s)	memory (GB)	#P _s	#T _s
CM	2/1	6	66	13	10	1.4	0.31	14	8
	2/2	7	96	18	16	1.3	0.29	-	-
	2/3	8	126	23	22	1.7	0.30	-	-

	4/3	12	224	41	44	14.4	0.8	68	32
	4/4	13	276	50	56	155.3	4.27	-	-
SR	5/1	12	146	28	25	4.0	0.38	62	20
	5/2	13	208	39	40	24.3	0.8	78	30
	5/3	14	270	50	55	468.3	3.5	94	40
	6/1	14	172	33	30	19.6	0.8	86	24
	6/2	15	244	46	48	1042.2	2.51	105	36
	JP	2/1	5	86	18	17	1.3	0.29	32
2/2		6	116	24	26	1.6	0.29	-	-
2/3		7	144	30	35	4.4	0.39	-	-
2/4		8	174	36	44	42.7	0.8	-	-
3/1		6	204	34	49	1155.6	10.05	79.7	45
Dws		2	3	46	12	13	1.1	0.31	16
	3	4	76	18	23	1.8	0.31	34	28
	4	5	112	25	35	1.5	0.29	62	50
	5	6	160	33	49	2.0	0.31	102	80

	9	10	486	75	125	55.3	2.85	422	300
10	11	612	88	149	146.9	5.43	552	385	
11	12	762	102	175	434.8	16.62	706	484	
Dws	1	3	36	11	6	0.8	0.31	8	3
	2	5	70	21	12	1.6	0.31	23	10
	3	7	102	31	18	1.4	0.30	46	21

	16	33	524	161	96	547.7	9.07	1073	528
	17	35	556	171	102	789.1	12.02	1208	595
18	37	588	181	108	1027.3	11.94	1351	666	
19	39	620	191	114	1451.9	15.99	1502	741	

... means no winning strategy exists.

Related Work: Other Frameworks for Distributed Synthesis

Pnueli-Rosner model: synchronous concurrency with **partial observation** of shared variables

- distributed synthesis: in general **undecidable**
- pipelines and rings: **nonelementary**

A. Pnueli & R. Rosner (1990): Distributed Reactive Systems are Hard to Synthesize.
B. Finkbeiner & S. Schewe (2005): Uniform Distributed Synthesis.

Zielonka automata: asynchronous concurrency with shared actions and **causal memory**

- distributed synthesis: in general **decidability open**
- tree architectures: **nonelementary**

Gastin, Lerman & Zeitoun (2004): Distributed Games with Causal Memory are Decidable for Series-Parallel Systems.
Genest, Gimbert, Muscholl & Walukiewicz (2013): Asynchronous Games over Tree Architectures.